## **Conditionals Handout**

I. Types of Conditionals

- A: Indicative conditionals: If the Mets lost, then the Cubs won.
- B: Conditional questions: If I like logic, what class should I take next?
- C: Conditional commands: If you want to pass this class, do the homework.
- D: Conditional prescriptions: If you want a good life, you ought to act virtuously.
- E: Subjunctive, or counterfactual, conditionals: If he were offered the bribe, he would take it.

II. Turning non-indicative conditionals into indicative conditionals

- B': If you like logic, then you should take linear algebra next.
- C': If you want to pass the class, you do the homework.
- D': If you want a good life, you act virtuously

III. The truth table for the material conditional

Р	Ο	Q	
Т	Т	Т	
Т	F	F	
F	Т	Т	
F	Т	F	

IV. A problem for the material interpretation

F: If I were to jump out of the window right now, I would fall to the ground. G: If I were to jump out of the window right now, I would fly to the moon.

V. Other options for the truth table

Option A

Р	Π	Q	
Т	Т	Т	
Т	F	F	
F	Т	Т	
F	F	F	

Option B

	Р	N	Q		
	Т	Т	Т		
	Т	F	F		
ſ	F	F	Т		
	F	Т	F		

Option C

Р	Л	Q	
Т	Т	Т	
Т	F	F	
F	F	Т	
F	F	F	

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VI. Counterfactual conditionals and science

G: If this salt had been placed in water, it would have dissolved.

H: This table is soluble in water.

I: If this is gold, then it is not water-soluble. So, it is not the case that if this is gold then it is water-soluble.

VII. The paradoxes of material implication

J: If I am a man then some roses are red.

K: If I am a squirrel, then you are all chipmunks.

 $\begin{array}{ll} L: & P \supset (Q \supset P) \\ M: & \sim P \supset (P \supset Q) \\ N: & (P \supset Q) \lor (Q \supset P) \end{array}$ 

VIII. Good uses for material implication.

O: If the alternate interior angles formed by two lines intersected by a third are congruent, then the two lines are parallel.

P: If the hurricane hits, we will sustain great damage.

IX. Non-truth functional conditionals

Leave 'P ightarrow Q' as truth-functional. Take 'P ightarrow Q' as non-truth-functional. C.I. Lewis defined 'P ightarrow Q' as ' $\Box$ (P ightarrow Q)'.

X. Some other possible paper topics (see the course bibliography for some references):

Grice's interpretation, which Fisher discusses C.I. Lewis's operator Connections to three-valued logics Lewis Caroll's paper, "A Logical Paradox" Goodman, and the relation between conditionals and scientific laws Frank Jackson and David Lewis have extended treatments of conditionals