

Identity Theory Jigsaw Lesson
Workgroup: Only

I. Examine the following translations:

- | | |
|---------------------------------------------|----------------------------------------------------------------------|
| 1. Jim loves Pam. | Ljp |
| 2. Jim only loves Pam. | $Ljp \cdot (x)(Ljx \supset x=p)$ |
| 3. Only Jim loves Pam. | $Ljp \cdot (x)(Lxp \supset x=j)$ |
| 4. Two is the only even prime number. | $Et \cdot Pt \cdot Nt \cdot (x)[(Ex \cdot Px \cdot Nx) \supset x=t]$ |
| 5. There is only one applicant for the job. | $(\exists x)[Ax \cdot (y)(Ay \supset x=y)]$ |

II. Try these:

6. Michael is the only regional manager. (m, Rx)
7. Dwight only farms beets. (d, b, Fxy: x farms y)
8. Only Michael gives someone a prize. (m, p, Px, Gxyz: x gives y to z)

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