

Rules of Implication Handout

I. Truth Table for Constructive Dilemma

(P $\supset$ Q)	$\cdot$	(R $\supset$ S)	/	P $\vee$ R	//	Q $\vee$ S
T	T	T	T	T	T	T
T	T	F	F	T	T	F
T	T	T	T	T	F	T
T	T	F	F	T	F	F
T	F	T	T	T	T	F
T	F	F	F	T	T	F
T	F	T	T	T	F	T
T	F	F	F	T	F	F
F	T	T	T	F	T	T
F	T	F	F	F	T	F
F	T	T	T	F	F	T
F	T	F	F	F	F	F
F	T	T	T	F	T	T
F	T	F	F	F	T	F
F	F	T	T	F	T	T
F	F	F	F	F	T	F
F	F	T	T	F	F	T
F	F	F	F	F	F	F

II. For each of the following arguments, determine which, if any, of the 8 Rules of Implication is being followed.

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|--|---|---|
| <p>1.     A <math>\supset</math> (B <math>\cdot</math> C)<br/>              <math>\sim</math>(B <math>\cdot</math> C)<br/>              <math>\therefore \sim</math>A</p>  | <p>4.     L<br/>              <math>\sim</math>M <math>\cdot</math> N<br/>              <math>\therefore \sim</math>(M <math>\cdot</math> N) <math>\cdot</math> L</p> | <p>5.     O<br/>              <math>\therefore</math> O <math>\cdot</math> <math>\sim</math>O</p>   |
| <p>2.     [(D <math>\vee</math> E) <math>\supset</math> F] <math>\cdot</math> [F <math>\supset</math> (G <math>\equiv</math> H)]<br/>              (D <math>\vee</math> E) <math>\vee</math> F<br/>              <math>\therefore</math> F <math>\vee</math> (G <math>\equiv</math> H)</p> |   | <p>6.     P<br/>              <math>\therefore</math> P <math>\vee</math> [Q <math>\equiv</math> (R <math>\cdot</math> <math>\sim</math>P)]</p> |
| <p>3.     I <math>\supset</math> <math>\sim</math>J<br/>              K <math>\supset</math> I<br/>              <math>\therefore</math> K <math>\supset</math> <math>\sim</math>J</p>   |   | <p>7.     S <math>\vee</math> <math>\sim</math>T<br/>              <math>\sim\sim</math>T<br/>              <math>\therefore \sim</math>S</p>   |

8.  $\sim U \equiv V$   
 $(\sim U \equiv V) \supset W$   
 $\therefore W$

9.  $X \supset \sim Y$   
 $\sim Y \supset Z$   
 $\therefore (X \supset \sim Y) \cdot (\sim Y \supset Z)$

10.  $(A \vee \sim B) \vee \sim \sim C$   
 $\therefore A \vee \sim B$

11.  $\sim [D \supset (E \vee F)]$   
 $[D \supset (E \vee F)] \vee [G \supset (E \cdot \sim F)]$   
 $\therefore [G \supset (E \cdot \sim F)]$

12.  $[(G \vee H) \cdot I] \cdot (\sim I \equiv K)$   
 $\therefore (G \vee H) \cdot I$